



COSC160: Data Structures

Jeremy Bolton, PhD

Assistant Teaching Professor

Outline

- I. What is Data?
 - I. Data representations on a computer

- II. Basic Structures
 - I. Goals of Structures
 - II. Applications

Review Topics (next lecture)

- Time Complexity
- Recursion and Recurrences
- Memory Allocation and Management
 - Pointers and Chaining
 - Stack vs Heap
 - Garbage Collection
 - Deep vs Shallow Copy
- Coding Practices:
 - Design and Modeling
 - Debugging
 - OOP, Templates, ...

What is Data?

- A peek under the hood ...
 - A good understanding of how data is represented in a computer will make you a better computer scientist
 - Many algorithms (and data structures) depend on (and take advantage of) the representation and structure of data
 - Data Representation, EG: Fast Multiplication (by two)
 - Data Organization, EG: Heap Sort

Binary Representations

- Data is encoded into computers as binary string of various lengths
 - Each bit (latch in hardware) can store a 0 or 1
 - A byte is an 8 bit sequence
 - Each unique binary string can be used to represent a different integer.
 - However, binary strings can be used to represent various data.

- EG: binary strings as integers (polynomial expansion)

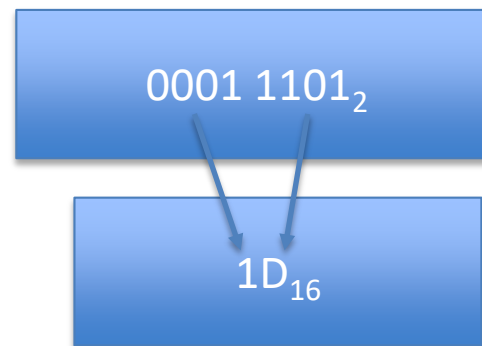
0001 1101₂

$$2^7(0) + 2^6(0) + 2^5(0) + 2^4(1) + 2^3(1) + 2^2(1) + 2^1(0) + 2^0(1) = 29$$

- Hexi-decimal Representation

$$16^1(1) + 16^0(13) = 29$$

1D₁₆

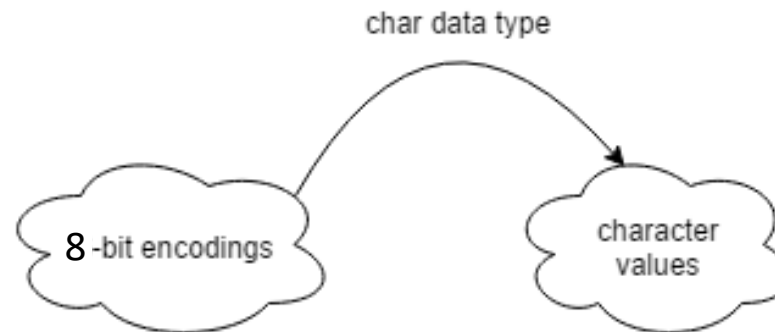


Data Types

- Binary strings interpreted differently based on data type
 - Data type can be seen as a set of all possible values of some category; or more generally a data type is a mapping from set of all valid binary strings (of some length) to a value.
- Example: chars
 - Assumes 8-bit

EG:

0100 0100 → 'D'
0000 1010 → '\n'



Integer Representation

- unsigned ints
 - Unsigned ints are generally represented using the standard polynomial expansion of binary sequences.
- ints are generally stored in “2’s complement” which allows for the representation of negative integers and allows for an efficient implementation of arithmetic.
 - Example (assuming 4-byte representation)
 - Conversion to two’s complement of negative int
 1. List binary representation of positive value.
 2. Invert binary digits
 3. Add 1

Example: Twos Complement

- **Steps**

1. List binary representation of positive value.
2. Invert binary digits
3. Add 1

- **What is two's complement representation of -67?**

0000 0000 0000 0000 0000 0000 0100 0011, *0x0043*

1111 1111 1111 1111 1111 1111 1011 1100, *0xFFBC*

1111 1111 1111 1111 1111 1111 1011 1101, *0xFFBD*

Memory requirements of common data types

- Each data type may have different encoding schemes, as noted previously.
- Different data types may also have notably different lengths, or memory requirements.

Type Name	Bytes	Other Names	Range of Values
int	4	signed	-2,147,483,648 to 2,147,483,647
unsigned int	4	unsigned	0 to 4,294,967,295
short	2	short int, signed short int	-32,768 to 32,767
unsigned short	2	unsigned short int	0 to 65,535
long	4	long int, signed long int	-2,147,483,648 to 2,147,483,647
unsigned long	4	unsigned long int	0 to 4,294,967,295
long long	8	none (but equivalent to __int64)	-9,223,372,036,854,775,808 to 9,223,372,036,854,775,807
short	2	short int, signed short int	-32,768 to 32,767
bool	1	none	false or true
char	1	none	-128 to 127 by default 0 to 255 when compiled by using

Low-Level Operations on Data

- Binary Operations

- Bit-wise Logical OR: |
- Bit-wise Logical AND: &
- Bit-wise Logical NOT: ~
- Bit-wise Logical XOR: ^
- Bit-wise shift left: <<
- Bit-wise shift right: >>

```
0110 0001 1101 0100
| 1011 1000 1110 0100
1111 1001 1111 0100
```

```
0110 0001 1101 0100
& 1011 1000 1110 0100
0010 0000 1100 0100
```

```
0011 1000 1110 0100 << 2
1110 0011 1001 0000
```

There are also many low-level (binary level), operators available.

Confirm the following:

$$5 | 3 = 7$$

$$4 \& 3 = 0$$

$$3 \ll 1 = 6$$

Why is knowing data representation important?

- You're a computer scientist!
- Many structures and algorithms are optimized based on the low level representations of data
 - Lower level CPU operations are fast!
- If you can encode data using minimal data encodings, you can reduce memory requirements and *make algorithms and structures more efficient!*

Example: Memory Requirements

- Assume you are tasked with documenting (on a computer) major milestones in recent history (since 1 AD) by year. How would you store the 'year' information?

Example: (“Faster”) Multiplication by 2

- In this example, the bitwise alternatives may execute near 2 or 3 times faster.
- The speed of operators is determined by the CPU and underlying architecture.
- ALSO NOTE: compilers are “clever” and may attempt to optimize your code. Thus compiler may make this edit (without explicit notice to you – the programmer) when converting C++ code to machine code. As a result, it may be the case that there is no difference in execution time.

- Equivalent code snippets:

```
x = x * 2;
```

```
x = x << 1;
```

```
x = x * 8;
```

```
x = x << 3;
```

Summary of Data

- Data is encoded as binary sequences in computers
- Data types are mappings from a set of binary sequences to a set of values
- Knowing more about data representations and operators available will allow for more efficient structures and algorithms for data.

Data Structures

- Why Structures for Data?
 - Simple: it is practical and efficient
 - Keeps Data Organized
 - Filing cabinet analogy
 - Can provide for efficient storage, retrieval, and manipulation (or analysis) of data
 - How do we measure “efficient”?
 - Time complexity analysis – more to come!
 - Aligns with OOP paradigm: promotes reusability

Applications of Basic Data Structures

- Clear Applications
 - Data: storage and retrieval
- Many Other Applications
 - Calculations.
 - E.G. Polynomial evaluation
 - Help to facilitate efficient algorithms
 - Sorting
 - Traversals

Goals of Data Structures

- Computer science is the practice of problem solving.
 - Data structures are tools used to help solve a problem or accomplish a task.
 - Good Solutions (Algorithms):
 - Good solutions are correct.
 - Good solutions are practical.
 - Good solutions are efficient.
 - Efficient in time
 - Efficient in place
- Low level representations
 - Understanding lower level details related to memory management will make you a better programmer (of **efficient** structures and algorithms)